

BOUT++ Simulations of Edge Turbulence in Alcator C-Mod's EDA H-Mode

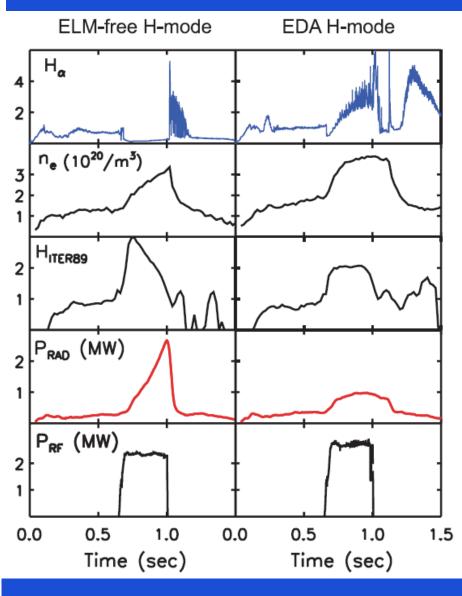




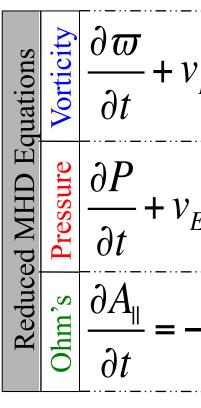
(1) Abstract

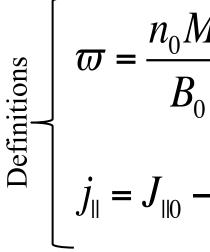
Energy confinement in tokamaks is believed to be strongly controlled by plasma transport in the edge region just inside the last closed magnetic flux surface, and a first principles understanding of these edge processes is an active field of theoretical and experimental research. The Boundary-plasma Turbulence (BOUT++) code is capable of nonlinear fluid boundary turbulence analysis in a general geometry. Using experimentally measured profiles as input, BOUT++ calculations show that typical C-Mod EDA Hmodes are ideal MHD stable, but become linearly unstable when the pedestal resistivity is included ($\eta > 10^{-7} \Omega$ -m). The computed resistive ballooning mode growth rate in such shots is shown to scale approximately as $\eta^{1/3}$ and $n^{2/3}$, consistent with theory. Inclusion of diamagnetic effects leads to a maximum growth rate at $n \sim 25$ and mode propagation in the lab frame electron diamagnetic direction, consistent with experimental observations. Incorporation of experimentally measured flow profiles has allowed the self-consistent calculation of the edge radial electric field. Nonlinear simulations have reached turbulent steady state, allowing for future comparison with fluctuation diagnostics.

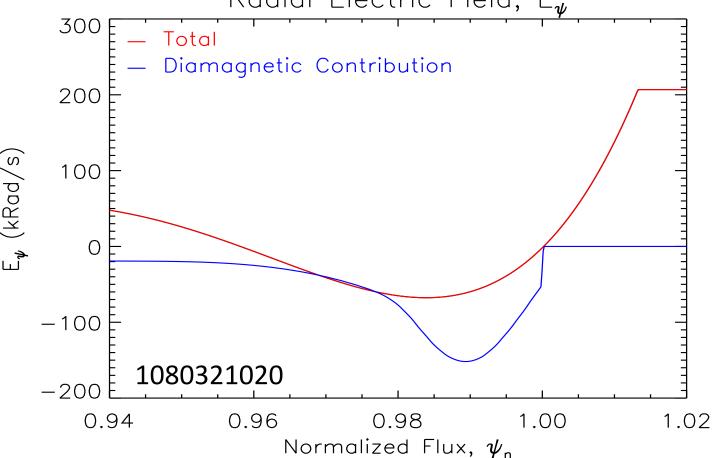
(2) Motivation



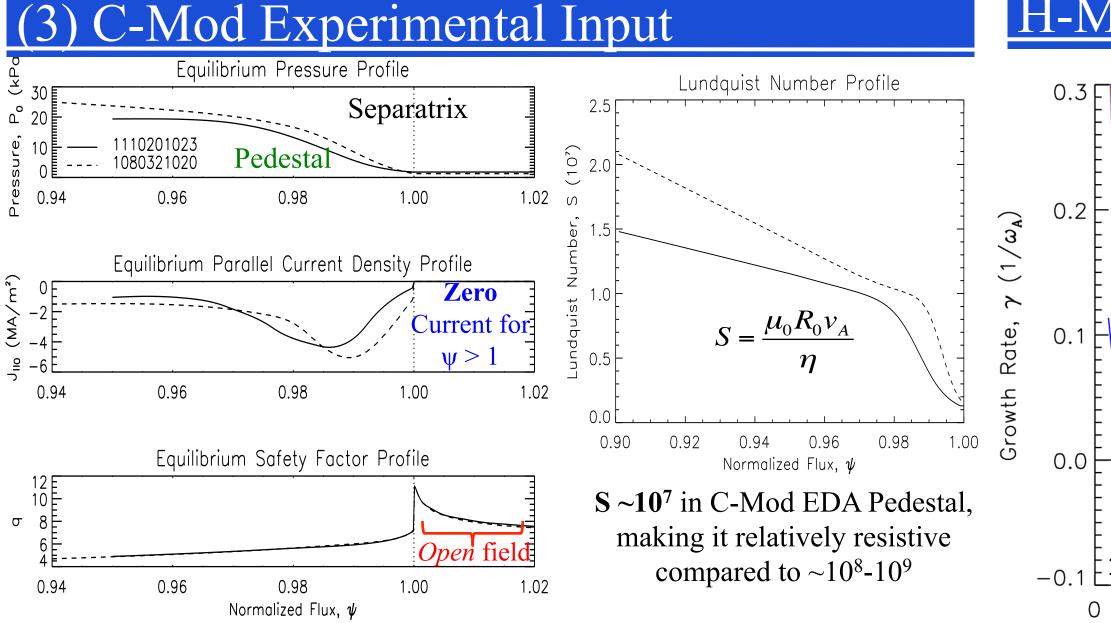
- The Quasi-Coherent Mode (QCM) reduces impurity confinement during C-Mod's Enhanced D_{α} (EDA) H-Mode^[1], allowing for steady-state operation
- Unlike Edge Localized Modes (ELMs), the QCM is **not** a dangerous mode
- The high collisionality ($v^* > 1$) of the EDA H-Mode suggests the use of a **fluid** code to investigate the QCM [1] M. Greenwald et al. Fusion Sci. Tech. 51 266 (2007)











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US Transport Task Force Workshop - April 10-13, 2012 - Annapolis, MD



$$P_E \cdot \nabla \boldsymbol{\varpi} = B_0^2 \nabla_{\parallel} \left(\frac{j_{\parallel}}{B_0} \right) + 2b_0 \times \kappa \cdot \nabla p,$$

 $+v_{F}\cdot\nabla P=0,$

$$-\nabla_{\parallel} (\varphi + \Phi_0) + \frac{\eta}{\mu_0} \nabla_{\perp}^2 A_{\parallel} - \frac{\eta_H}{\mu_0} \nabla_{\perp}^4 A_{\parallel},$$

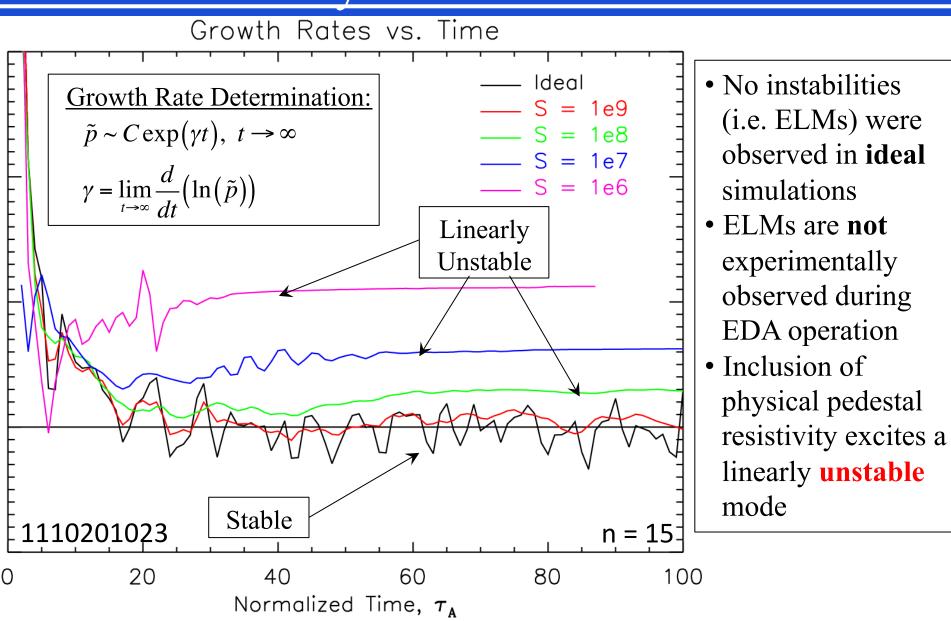
$$\frac{M_i}{B_0} \left(\nabla_{\perp}^2 \varphi + \frac{1}{2n_0 Z_i e} \nabla_{\perp}^2 p \right), \quad P = P_0 + p$$

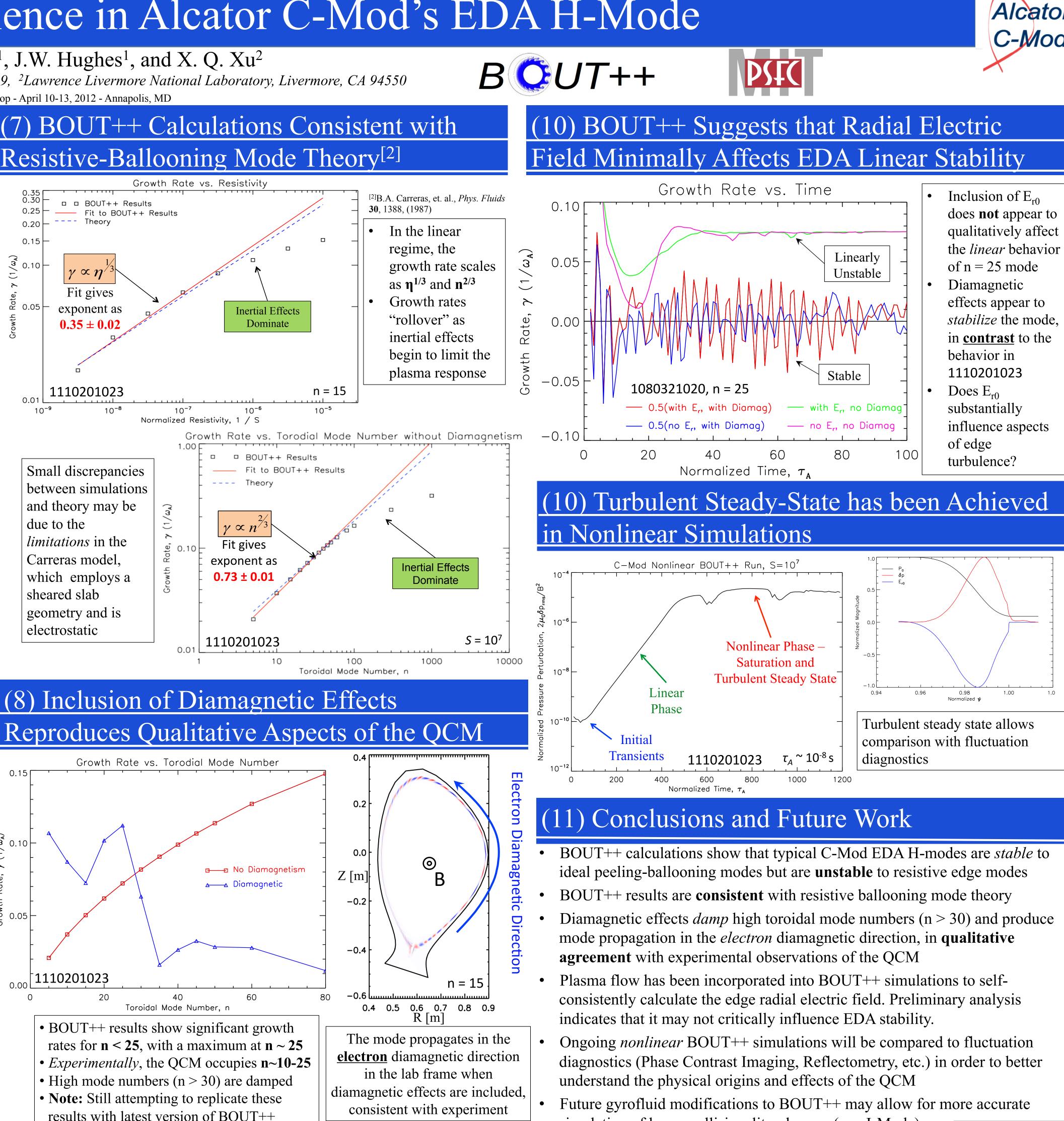
$$\frac{1}{2n_0 Z_i e} \sum_{i=1}^{n_0} \frac{1}{2n_0 Z_i e}$$

$$-\frac{1}{\mu_0} \nabla_{\perp}^2 A_{\parallel}, \quad v_E = \frac{1}{B_0} b_0 \times \nabla (\varphi + \Phi_0)$$

Radial Electric Field, E

(5) BOUT++ Calculations show C-Mod EDA H-Mode Resistively Unstable





diamagnetic drift modifies the vorticity ✓ Radial electric field is (1) read in from experiment or (2) calculated using force balance assuming no net rotation, $\mathbf{E}_{\mathrm{r0}} = (1/2\mathbf{n}_0 \mathbf{Z}_{\mathrm{i}} \mathbf{e}) \nabla_{\perp} \mathbf{P}_0$ ✓ Hyper-resistivity $\eta_{\rm H}$

Non-ideal physics

✓ Include resistive

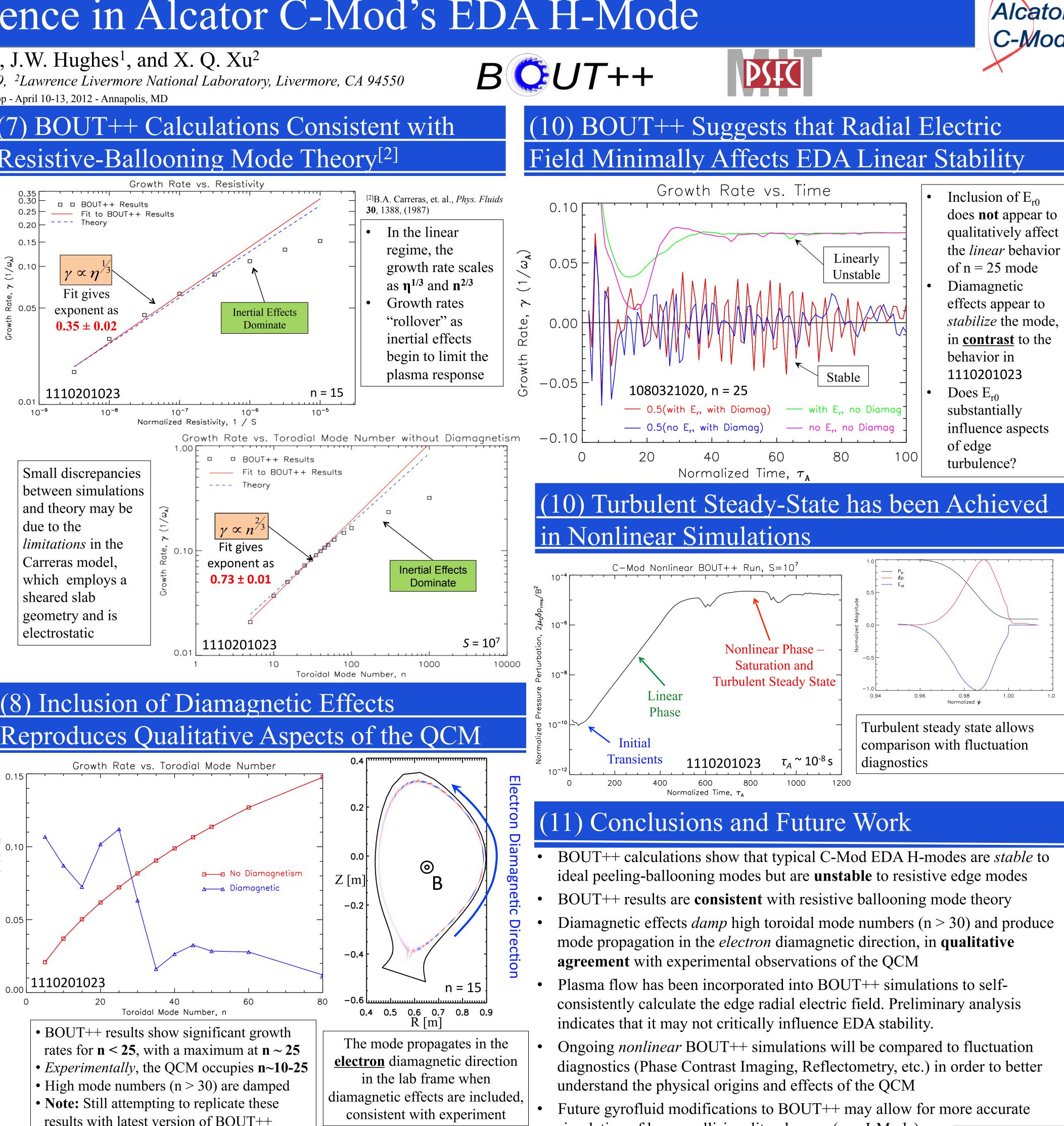
✓ After gyroviscous

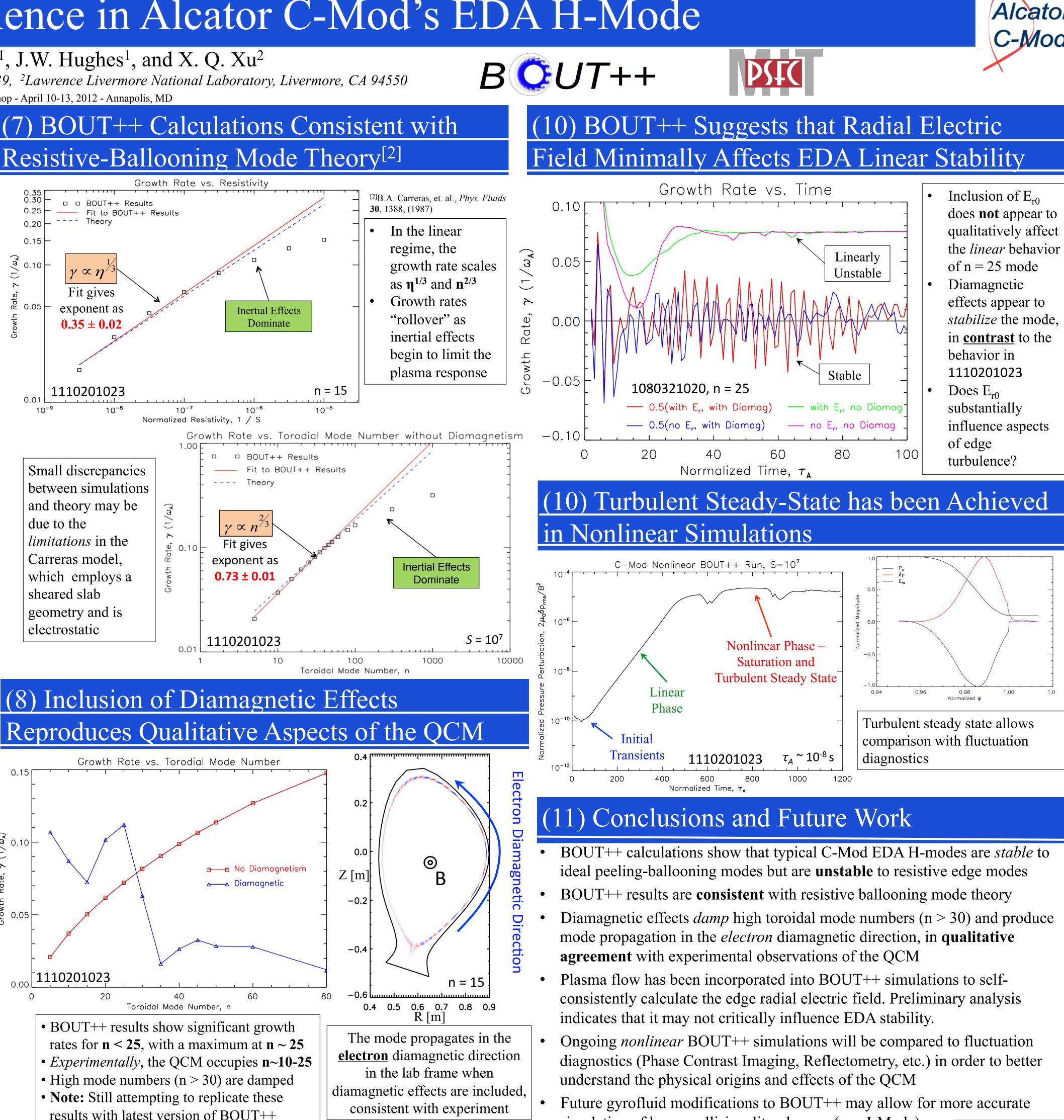
cancellation, the

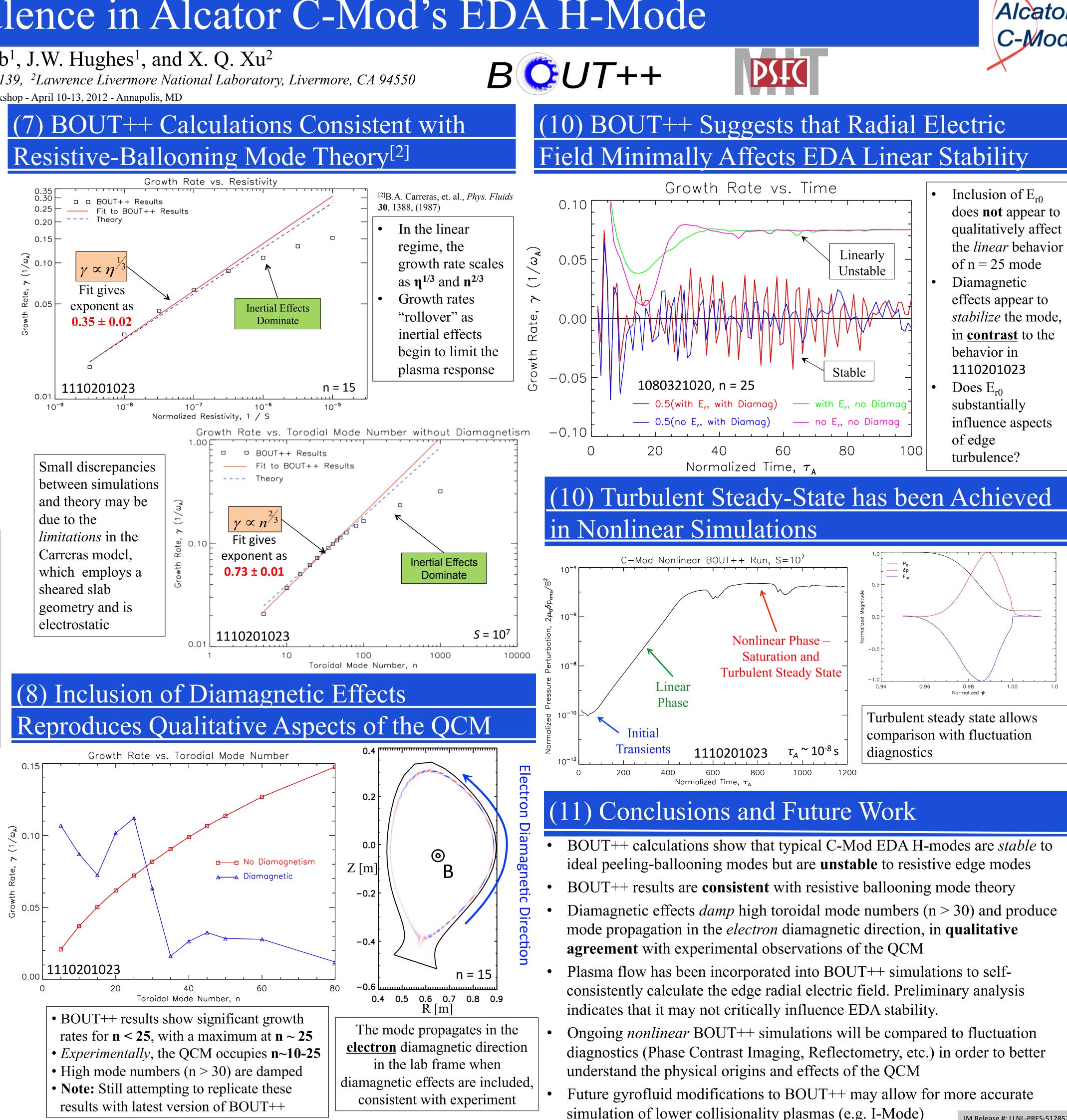
$$S_{\rm H} = \mu_0 R^3 v_{\rm A} / \eta_{\rm H} = S / \alpha_{\rm H}$$

is included in the physics module, but was **not** used in this work

BOUT++ can now read in experimentally measured E_{r0} to selfconsistently evolve E_r The diamagnetic contribution to E_{r0} is qualitatively similar to the total, justifying approach (2, above) for calculating E_{r0} if an experimental profile is not availabl









IM Release #: LLNL-PRES-512852